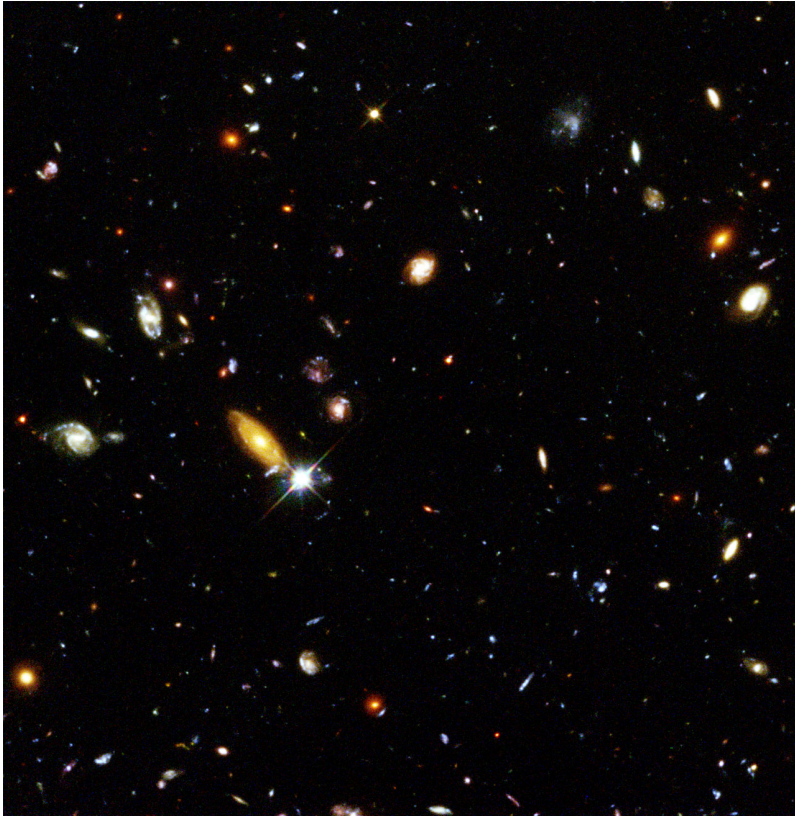
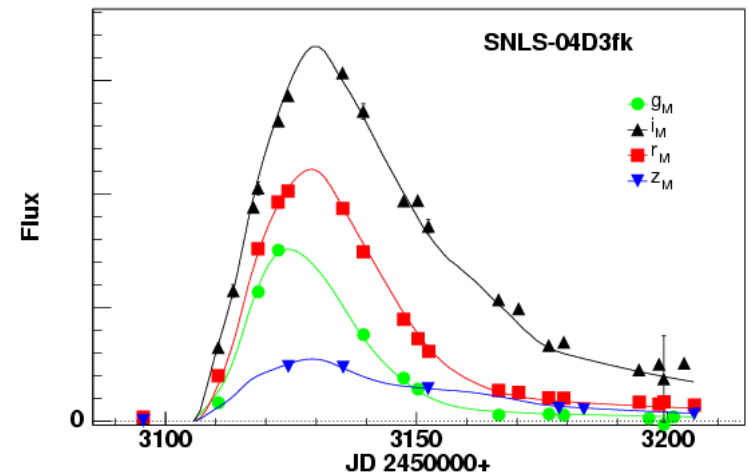
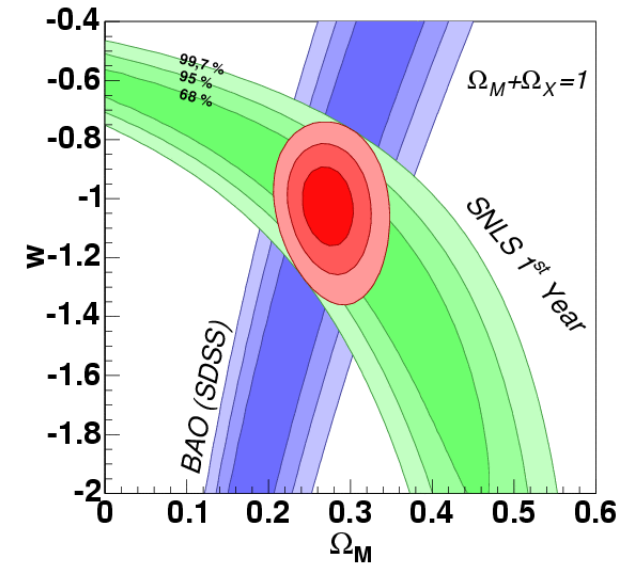


Supernovae from space



Pierre Astier et al
LPNHE/IN2P3/CNRS
Universités Paris 6&7



Paris-Berkeley workshop
September 2009

Political framework

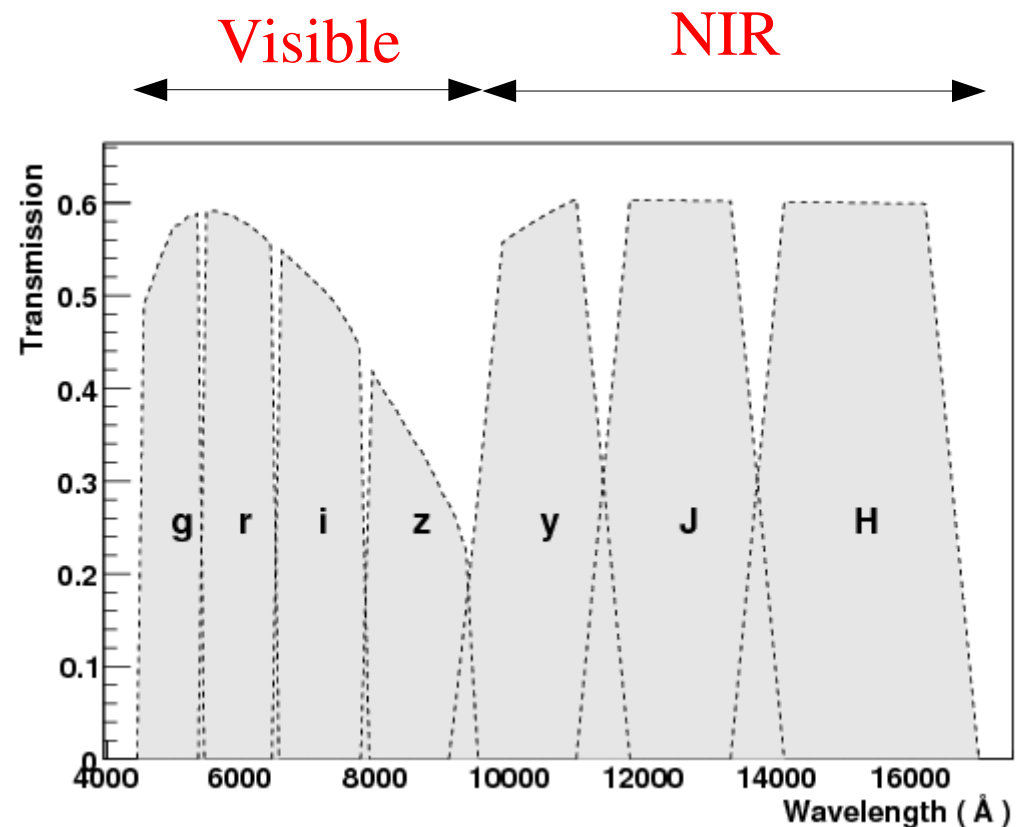
Political framework

Too complicated. Null slide.

Instrumental Framework

Hypotheses :

- Telescope diameter **1.2 m** (or more !) with central occultation
- Dual channel imaging system : visible (CCDs) and NIR (HgCdTe) which operate simultaneously
- **0.5 deg²** in each channel
with filter wheels
- ~ logarithmic filters
Example : 450->1650 nm



Imaging performance

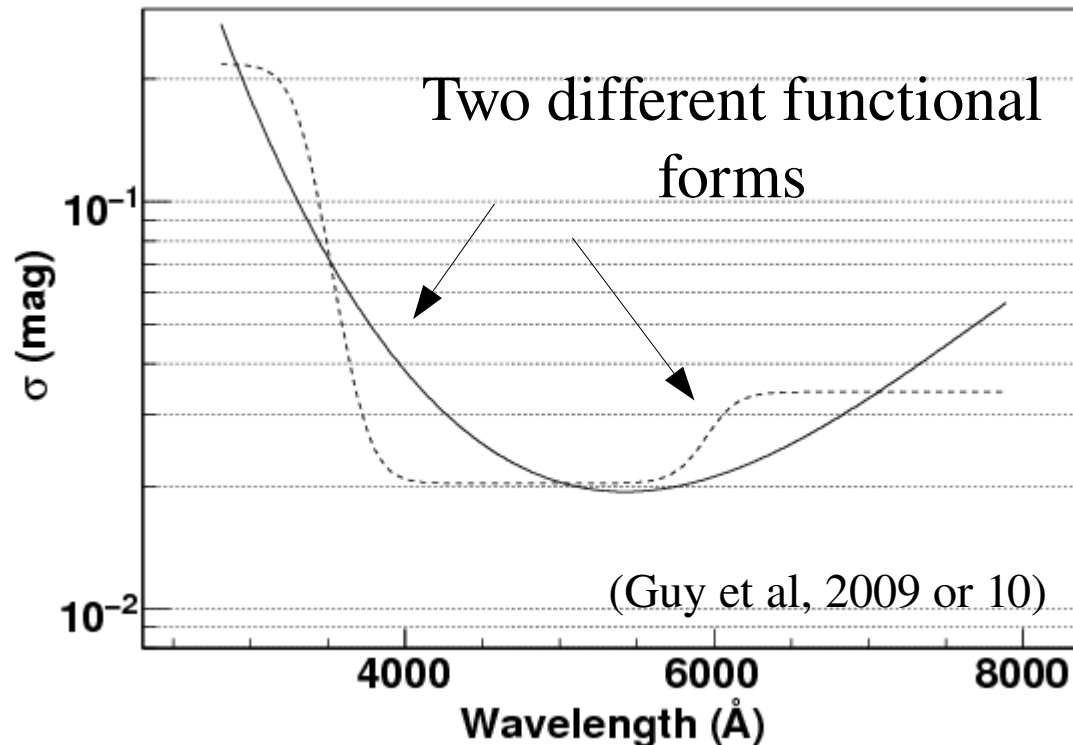
- **Image sampling** : 0.1'' in the visible and 0.3'' in NIR.
NIR : RO noise = 20 el, dark current = 0.1 el/sec.
- **Image quality** : 0.17'' FWHM from spacecraft + diffraction
-> 0.2'' at 500 nm to 0.35'' at 1500 nm
- Sky background : from Leinert (1998) at 30 degrees from the ecliptic pole

AB mags.
Sensitivity for
point sources and
PSF photometry

band	sky	zp (e^-/s)	10σ (600s, ps)
g	23.19	24.27	25.1
r	22.89	24.32	25.1
i	22.68	24.18	24.9
z	22.60	23.72	24.4
y	22.47	24.32	24.4
J	22.44	24.37	24.4
H	22.31	24.41	24.4

Supernova survey requirements

- Common restframe bands observed at all redshifts
- Three common bands : B,V,R . U at $z > 0.4$.
- Accuracy of a single band LC amplitude better than **2.5 %**
-> implies distances better than 0.14
- Redshift-limited survey -> no Malmquist bias.



Residual scatter
of lightcurve amplitudes
to SALT2 color relations
-> assume 2.5 % noise

Rate and model

SNLS SNe Ia rate measurements
borrowed from Pascal Ripoche
(Moriond cosmo 2008)

Rate = star formation rate (SFR)
(Hopkins et Beacom 2006)]

*

$$Rate(t) = k \int_{t_F}^t SFR(t') \times \phi(t - t') dt'$$

$$\phi(t) = \frac{1}{\sqrt{2\pi}\sigma} e^{-\frac{1}{2}\left(\frac{t-\tau}{\sigma}\right)^2}$$

$$\sigma/\tau = 0.2 \quad \tau = 3.7 \pm 0.25 \text{ Gyr} \quad \chi^2 = 3.75$$

► Slope measurement

►

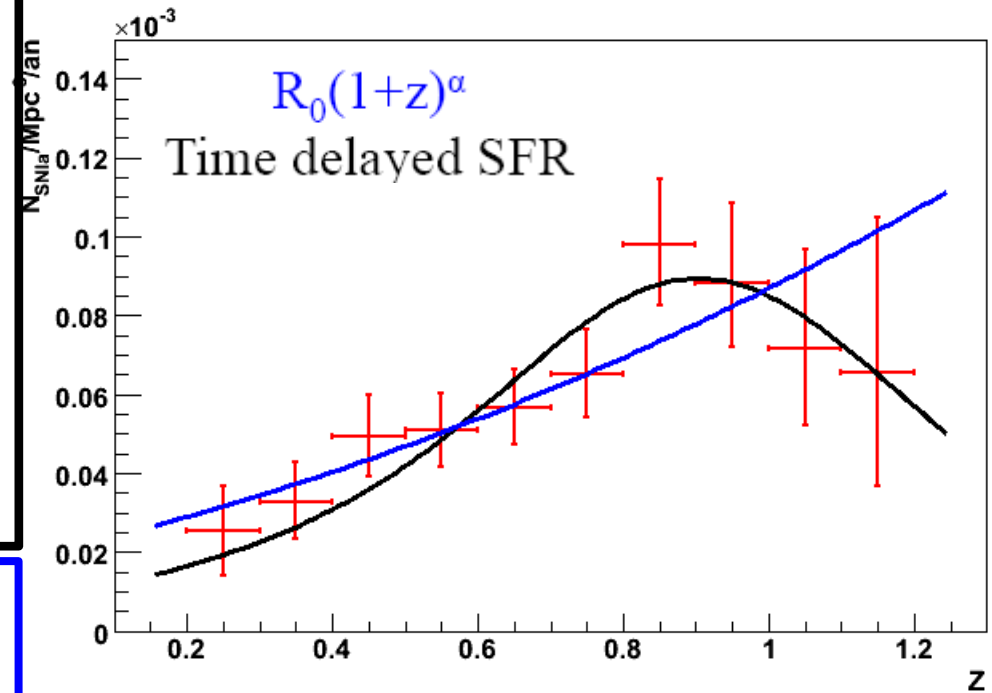
$$Rate(z) = R_0 (1+z)^\alpha$$

►

$$\alpha = 2.14 \pm 0.51 \quad 10^{-5} \text{ Sn/Mpc}^3/\text{yr}$$

$$R_0 = 2.0 \pm 0.54$$

$$\chi^2 = 4.77$$

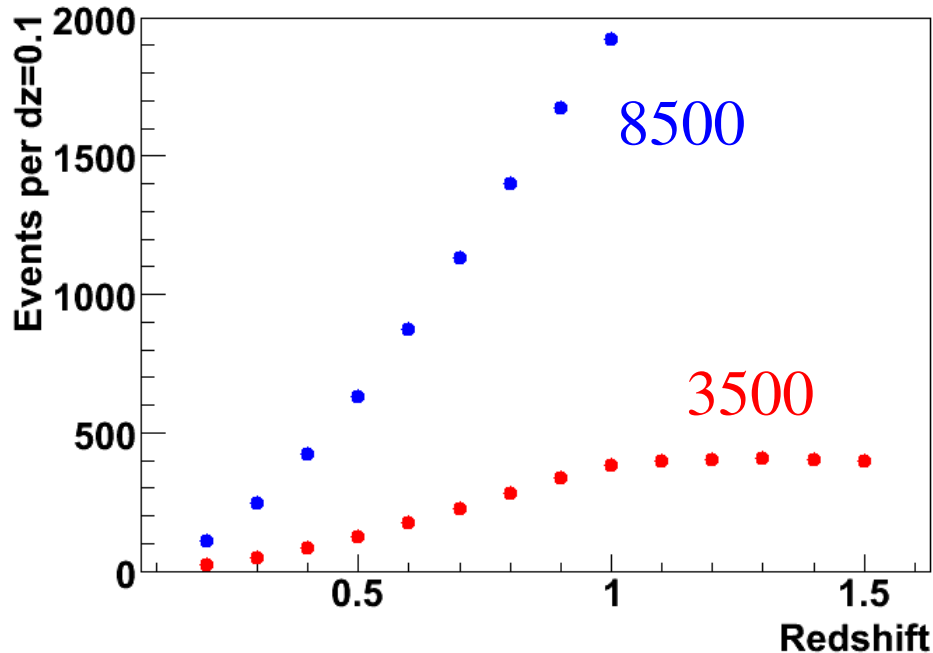


Imaging survey fiducial parameters

- “Rolling search” in a single cone ?
 - > too small volume at low redshift
 - > **Two cones : a deep survey (10 deg²) and a “wide” survey (50 deg²)**
- SN rates: they seem to significantly increase with redshift.
Assumed rate:
$$z \leq 1 : \quad R(z) = 1.53 \cdot 10^{-4} [(1+z)/1.5]^{2.14} h_{70}^3 \text{ Mpc}^{-3} \text{ y}^{-1}$$
$$z > 1 : \quad R(z > 1) = R(z = 1)$$

(smaller yield than Mannucci et al (2007))
- Survey duration : **1.4 year**
- Cadence : 5 (observer) days (could be less with shorter exposures)

Fiducial sample



Exposure time per visit
every 5 days

	wide	deep
g	400	1600
r	400	1600
i	500	1600
z	700	2400
y	650	1800
J	650	2400
H	650	3000
total	2000	7200

Exposure times provide average
 $S/N \geq 40$ (in BVR for LC amplitude)
at highest redshifts
for the deep and the wide.

Deep : $20 * 2h = 40$ hours
Wide : $100 * 5.5h = 55$ hours
left : $120 - 95 = 25$ hours

~ 100 epochs in total

Saul's question : multiplex advantage ?

What is the benefit of rolling search w.r.t pointed observations?

Wide survey :

- 100 epochs
- 100 pointings (footprint)
- 8500 events , $8 \cdot (1+z)$ light curve points per event (and band)
-> 120 000 lc points

Number of lightcurve points per image :

$$120\,000 / 10\,000 = 12$$

I find a significant multiplex advantage

This (only) depends on 2 figures:

- the SNe Ia rate
- the imager area

Why Space

- Stability of the instruments (PSF, calibration)
- No other practical route to precision distances to SNe at $z > \sim 1$
- NIR coverage with high sensitivity :
 - Large wavelength coverage at all redshifts
(mandatory to sort out color variation sources)
 - High redshifts in BVR (as small redshifts)
 - Restframe I band to $z=0.9$!! with more than 5000 events
& “standard” distances to the SAME events.
 - Precise NIR host galaxy colors for SN physics
- No need to tackle restframe U-band
(See talks by Julien Guy and Rick Kessler)

Types and redshifts

Redshifts :

- galactic photo-z : degrades cosmology, requires training.
- SN photo-z : better accuracy, but correlated with distance estimate.
- “after the fact” host redshifts
 - > with a BigBoss like instrument, requires $O(500)$ hours
 - > will assume 80 % efficiency in getting host z.
- If wide-field slit spectroscopy were available on board.... think about it

Typing :

- 7 bands : LC shapes, color relations (which are tight)
 - + 2nd maximum in restframe I at $z < 1$
 - + drop out at 300 nm at $z > 0.7$

Encouraging results on SNLS with:

- host galaxy photo-z
- 4 bands (only!)
- poorer S/N

Colors and distances

- We cannot assume that any Cardelli law describes the brighter-bluer relation of SNe Ia
- Even if it is true, we'd better prove it
 - ==> **measure the color relations** (don't assume Cardelli)
 - ==> **measure the total to selective extinction**
(and don't assume any link with color relations)
 - ==> check that color variations are compatible with extinction (by some exotic stuff)
- We should obviously avoid any prior on color.
BTW, even if color variations are only due to extinction, negative extinction estimates are unbiased.
- We all would like to know what causes color variations, but it has to come from the data.
- Measure many colors precisely !

Considered uncertainty sources

- Photometric noise
- Photometric calibration : 1% in all bands (independent)
- Lightcurve model uncertainty :
 - Statistical accuracy
 - Color noise floor (2.5 % on amplitude per band)
 - Photometric calibration of the training sample
 - Self-training
 - colors of a fiducial supernova
 - color law (à la SALT2)
- Tripp distance estimator : $\mu_B = m_B - M + \alpha(s-1) - \beta c$
- Intrinsic brightness drift $M(z) = M_0 + s_M z$ with s_M constrained (0.01)
- Intrinsic dispersion : 0.15 (pessimistic by now)

Parameters & Fit

- Event parameters (4 per event : T_0 , m_B , X_1 , color)
- Zero points : 1 per band
- SN model (to be determined from data) :
 - colors of a fiducial supernova. (14 parameters)
 - color law (à la SALT2). (9 parameters)
 - account for “color noise” (2.5 % all bands)
 - use all events for LC fitter training
- M, α, β and $M(z) = M_0 + s_M z$ with $\sigma(s_M) = 0.01$
- Intrinsic scatter : 0.15
- Cosmological parameters

Technique : fit lightcurves and cosmology together, all events and parameters at once and marginalise over everything but cosmology.
(~ 50,000 parameters)

Cosmo priors ?

- Let us count cosmological parameters :
 - SNe Ia Hubble diagram nowadays constrains 1 combination
 - perhaps 1.5 when considering high redshift events
 - Assume that our high precision forecast constrains two parameters
 - Cosmological models with matter (Ω_M), DE (Ω_X , 2 e.o.s param)
have 4 parameters
 - Need a 2-d prior
 - Using the geometrical constraints from CMB yields a 1-d constraint
in this four-parameter space (Ω_M, Ω_X , 2 e.o.s param)
- ==> either need to invoke some other probe (BAO) or assume flatness.

Use geometrical Planck priors and flatness

Results

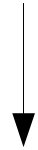
Calibration

M drift

Sn Model



Color
noise



label	N_1	N_2	zp	σ_c	$\sigma(s_M)$	$\sigma(w_a)$	z_w	$\sigma(w(z_w))$	Area
A	0	0	0	0	0	0.30	0.44	0.022	0.657
B	14	0	0	0	0	0.30	0.44	0.022	0.660
C	0	9	0	0	0	0.30	0.44	0.022	0.657
D	0	0	0.01	0	0	0.30	0.44	0.022	0.663
E	0	0	0	0.025	0	0.30	0.44	0.022	0.673
F	0	0	0	0	0.01	0.34	0.39	0.027	0.905
G	0	0	0	0.025	0.01	0.34	0.39	0.027	0.926
H	14	0	0	0.025	0.01	0.34	0.39	0.027	0.934
I	0	9	0	0.025	0.01	0.34	0.39	0.027	0.926
J	14	9	0	0.025	0.01	0.34	0.39	0.027	0.935
K	0	0	0.01	0.025	0.01	0.35	0.39	0.027	0.940
L	14	0	0.01	0.025	0.01	0.37	0.37	0.030	1.107
M	0	9	0.01	0.025	0.01	0.35	0.39	0.027	0.941
N	14	9	0.01	0.025	0	0.33	0.40	0.027	0.909
Y	14	9	0.005	0.025	0.01	0.36	0.38	0.029	1.032
Z	14	9	0.01	0.025	0.01	0.37	0.37	0.030	1.110
Z*0.5	14	9	0.01	0.025	0.01	0.48	0.40	0.036	1.745



What matters

- A redshift dependent M drift (not a surprise)
- z_p uncertainties together with a SN model training
-> calibration badly hurts via SN model training.
- Statistics : with half the sample, the ellipse size increases by 60 %
- Getting host redshifts. Hopefully, there are plenty of other reasons to carry out a spectroscopic follow-up.

What does not matter

- α, β binned in redshift.
- Several event classes with different M, α, β and SN models.

Summary

- 7 bands dual-cone rolling search imaging survey for SN out to $z=1.5$ with a 1.2 m mirror. No real optimization work done.
 - Avoids the shortcomings of ground-space cross-calibration.
 - With however decent capabilities for DE e.o.s
 - “BVR” restframe-bands survey. Trivial to add restframe U-band.
 - Built-in restframe I-band Hubble diagram to $z\sim 0.9$.
 - Improves over a proven approach to measure distances to SNe.
 - This sketch for a SN survey was conceived in a framework where the instrumentation is designed for other probes...
 - Assumed instrument : \sim Euclid with a filter wheel in the visible.
 - Regarding statistics, the main concern is the étendue of the imagers.
 - Deep multi-band VIS+NIR imaging has a lot of non-DE applications
- The dual-cone approach even increases the science possibilities
(= the number of potential supporters)