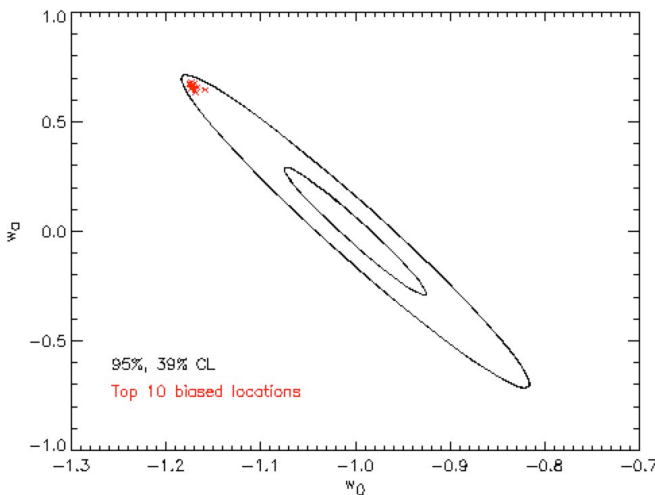


# Supernova Systematics: Control through Focused Observations

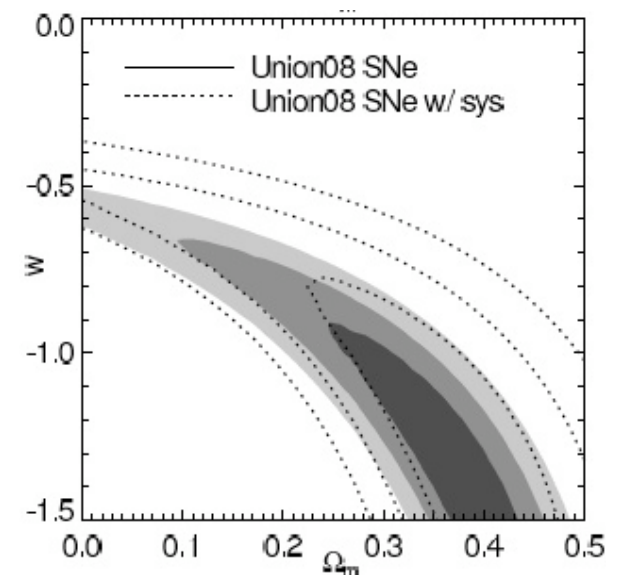
**Eric Linder**

in collaboration with Johan Samsing (DARK)

14 September 2009



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from Chaire Blaise Pascal grant



# The Space of Systematics



**Systematic residuals are unknown functions of redshift. Assuming a form  $f(z)$  may not fully account for the effects on cosmology.**

**We scan over **every** possible systematic, allowing for a constraint from observational data on the amplitude (or form). Uses a complete bin basis.**

**Propagate to cosmology bias and  $\Delta\chi^2$ .  
Can determine which forms (in redshift or wavelength) have strongest effect.**

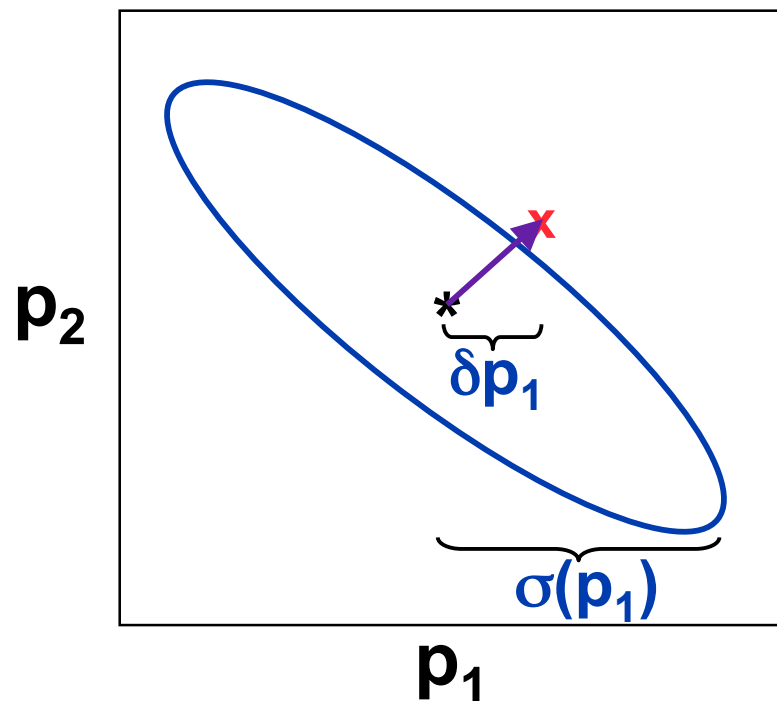
**Samsing & Linder, arXiv:0908.2637**

# Measuring Bias

The bias on a parameter  $p_i$  can be compared to its uncertainty  $\sigma(p_i)$ , as in  $\delta p_i / \sigma(p_i)$  but we also care about the covariance between parameters.  
I.e. really care about shift in confidence contour.

$$\Delta\chi^2 = \delta p F^{(r)} \delta p^T$$

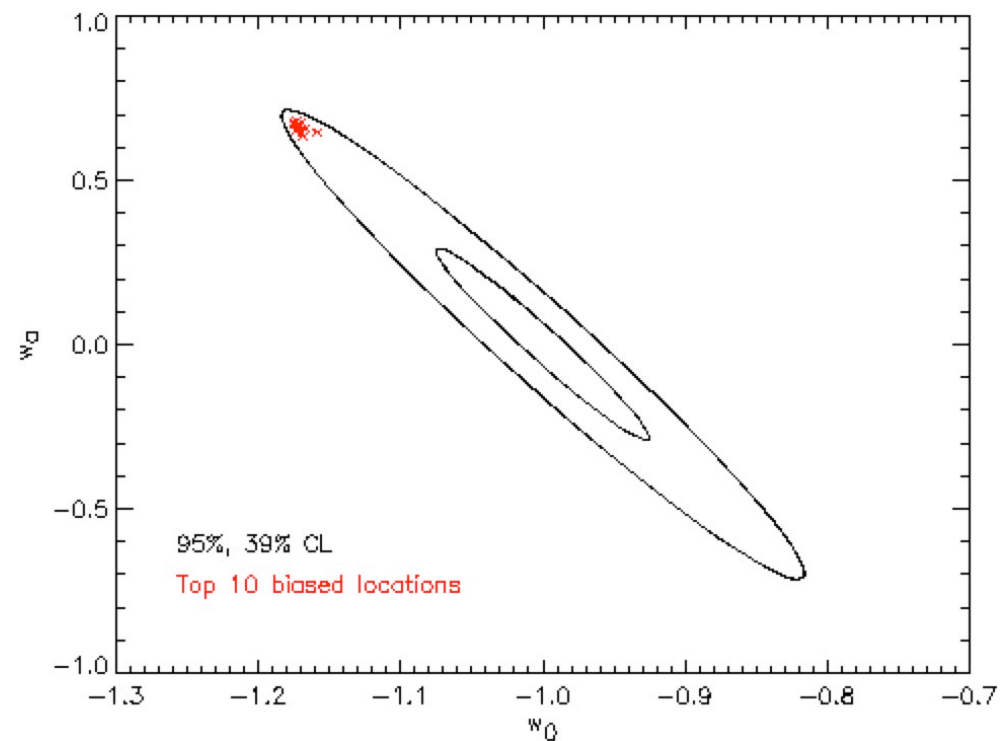
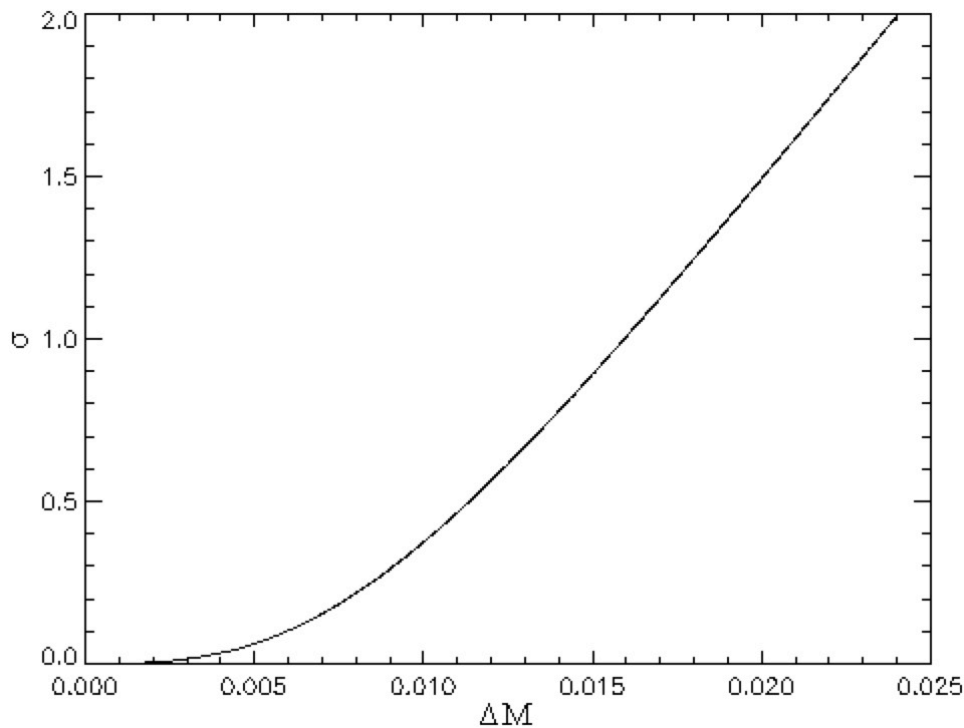
Shapiro, arXiv:0812.0769



# Population Drift



Unknown evolution of 2nd population fraction  $f(z)-f(0)$ , causing  $\Delta m(z) = \Delta M [f(z)-f(0)]$ .



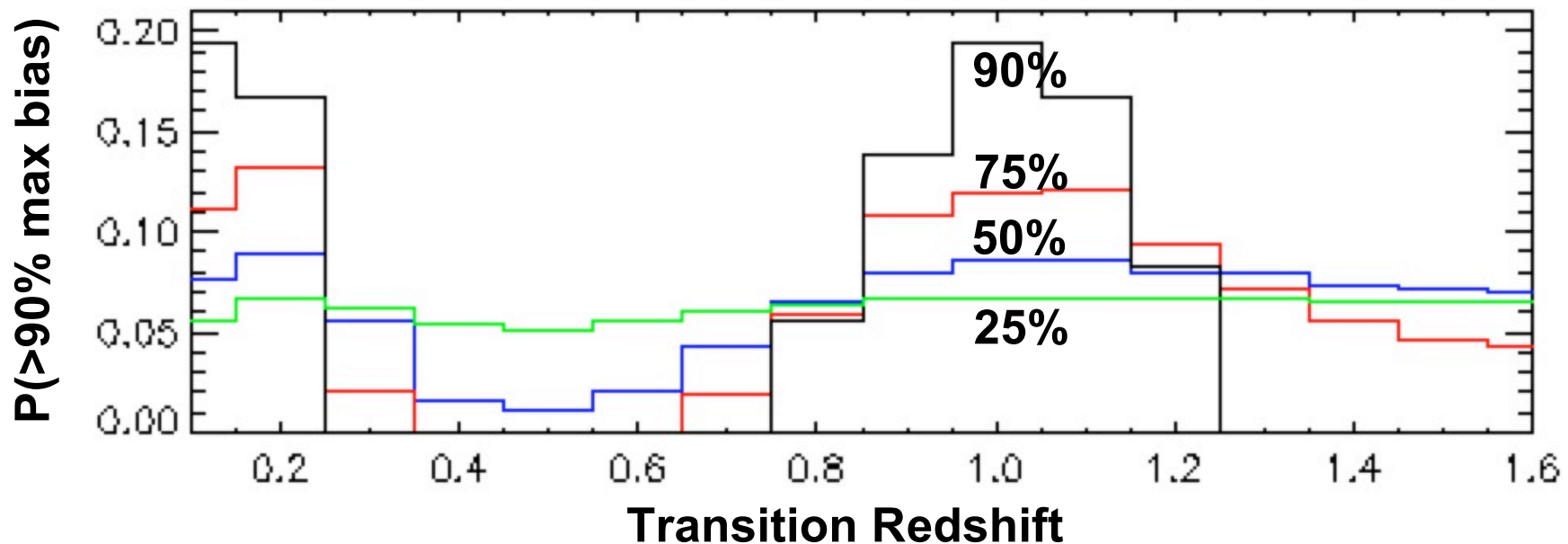
**1 $\sigma$  bias on  $\{\Omega_m, w_0, w_a\}$   
for  $\Delta M=0.016$  mag,  
with worst form of drift**

**Biases for 10 worst forms  
of drift, with  $\Delta M=0.02$  mag**

# Redshift Focus



The worst biases come from population drift at localized redshifts:  $z \sim 0.1$  and  $z \sim 1.0$ .



Observations to control systematics should be most comprehensive at these critical redshifts. Greatest danger from mixing samples at these  $z$ 's, e.g. ground-space.

# Dust Correction and Calibration



Need multiple wavelength bands for dust correction. Zeropoint offsets  $\Delta Z_k$  give unknown, correlated systematic error  $\Delta m(z)$ .

cf. Kim & Miquel 2006  
Nordin, Goobar, Jonsson 2008

Model as 2 band dust correction with 8 logarithmic filters over 0.4-1.7  $\mu\text{m}$ .

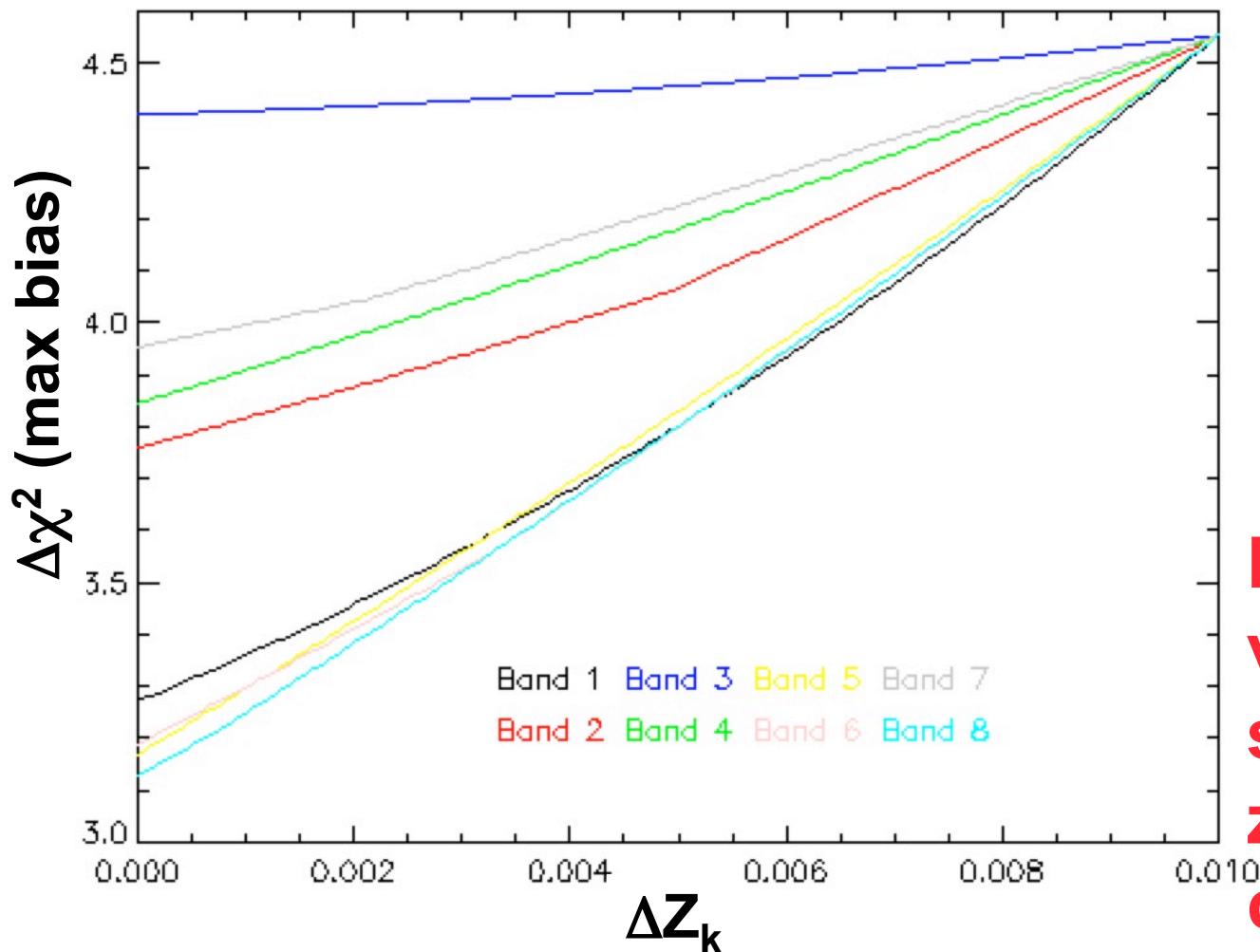
Maximum bias  $\Delta\chi^2 = 4.1$  for  $\Delta Z_k = 0.01$  (0.02 color).

Relative flux (abs color) requirement for  $<1\sigma$  cosmology bias is 0.015 mag.

# Wavelength Focus



Where in wavelength is greatest improvement for dust correction systematic?



Observer B, I, H bands (1,5,6,8).

That is, main bands for SN at  $z\sim 0.1$ ,  $z\sim 1$ ,  $z\sim 1.7$ .

Don't mix separate visible and NIR surveys. Again,  $z\sim 1$  continuity is critical.

# Conclusions



**Efficient method for analyzing cosmology bias from all possible systematic forms (plus constraints).**

**Population drift control requires comprehensive observations especially at  $z \sim 0.1, 1.0$ .**

**Dust correction/filter calibration control requires comprehensive observations especially at optical-NIR transition, eqv.  $z \sim 1.0$ .**

**Systematics control strongly argues for homogeneous survey across  $z \sim 1.0$  and optical-NIR.**